

## A. Morning Routine

*Limits: 1 sec., 256 MiB*

Every morning (around 6:00 AM) Zenyk is solving the following problem.

Zenyk is given a string consisting of upper case characters A and B. In a single turn he can remove the first and the last occurrences of any character, but only if they don't coincide. What is the lexicographically smallest non-empty string that he can obtain after any number of turns?

String  $s$  is considered lexicographically smaller than  $t$  if  $s$  is a prefix of  $t$ , or  $s$  has a smaller character at the first position they differ (from left to right).

### Input

The only line contains the initial string  $s$  that was given to Zenyk.

### Output

Print the answer to the problem.

### Constraints

$$1 \leq |s| \leq 10^5,$$

$s$  consists only of characters A and B.

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
BBABBAB	ABA

## B. Towers

*Limits: 2 sec., 256 MiB*

Zenyk and Marichka like tower sequences. Tower sequence is a sequence of  $n$  towers in a row.

Let's assume that the height of the  $i$ -th tower is  $A_i$ . Let's say that tower  $j$  is visible from tower  $i$  if tower  $j$  is strictly higher than all towers between tower  $i$  and tower  $j$  (not including the  $i$ -th tower). More formally, let  $S$  be the range of all towers between  $i$ -th and  $j$ -th tower. This means that  $S = [i + 1, j - 1]$  if  $j > i$ , and  $S = [j + 1, i - 1]$  otherwise. The  $j$ -th tower is visible from the tower  $i$  if  $\forall_{k \in S} A_j > A_k$ .

Let  $B_i$  be the number of towers visible from tower  $i$  (not including tower  $i$ ). Marichka calls a sequence of towers lucky if  $A_i = B_i$  for all  $i$ . Your task is to find the number of lucky sequences of  $n$  towers modulo prime number  $m$ .

### Input

The first line contains 2 integers  $n$  and  $m$ .

### Output

Print one number — the number of lucky sequences of  $n$  towers modulo  $m$ .

### Constraints

$2 \leq n \leq 1000$ ,  
 $10^7 \leq m \leq 10^9$ ,  $m$  is prime.

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
7 47774477	3

### Notes

Lucky sequences are  $[1, 2, 2, 2, 2, 2, 1]$ ,  $[2, 2, 3, 2, 3, 2, 2]$ ,  $[2, 3, 2, 4, 2, 3, 2]$ .

## C. Zero Cycle

Limits: 2 sec., 256 MiB

Zenyk and Marichka have a graph with  $n$  vertices and  $m$  edges.  $i$ -th edge is directed from vertex  $v_i$  to vertex  $u_i$ ,  $v_i \neq u_i$ . Let  $(v_i \rightarrow u_i)$  denote such edge.

Marichka wants to assign a weight to each edge such that all weights are non-zero integers in range  $[-1000, 1000]$ . Also Marichka wants the sum of edges on any cycle to be 0. Cycle is a sequence of edges  $(a_1 \rightarrow a_2), (a_2 \rightarrow a_3), \dots, (a_{k-1} \rightarrow a_k), (a_k \rightarrow a_1)$ . If edges  $(x \rightarrow y)$  and  $(y \rightarrow x)$  both exist they also form a cycle. Help her with that task.

### Input

First line contains two integers  $n$  and  $m$  — number of vertices and number of edges, respectively. Next  $m$  lines contain two integers each  $v_i$  and  $u_i$  which means that  $i$ -th edge goes from  $v_i$  to  $u_i$ .

### Output

Print  $m$  numbers:  $i$ -th number should be the weight of  $i$ -th edge. Each number should be non-zero and in range  $[-1000, 1000]$ . If multiple answers exist you may print any one of them.

### Constraints

$$\begin{aligned} 1 &\leq n \leq 10^5, \\ 1 &\leq m \leq 2 \cdot 10^5, \\ 1 &\leq v_i, u_i \leq n, v_i \neq u_i. \end{aligned}$$

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
4 7	4
1 2	-7
2 3	3
3 1	47
1 4	-774
2 4	-447
1 4	7
3 2	

## D. Random GCD

Limits: 1 sec., 256 MiB

Zenyk has an array  $A$  of  $n$  integers. Marichka wants to find the greatest common divisor of this array.

To find it Zenyk wrote the following C++ program:

```
random_shuffle(A.begin(), A.end());
int count = 0;
int result = A[0];
for(int i = 1; i < n; i++) {
    if (result == 1)
        break;
    result = gcd(result, A[i]);
    count ++;
}
```

Here we assume that after `random_shuffle` each permutation of array  $A$  is equiprobable and `gcd(a,b)` is the greatest common divisor of  $a$  and  $b$ . Zenyk is interested what is the expected value of `count` at the end of such a process.

### Input

First line contains single integer  $n$ . Second line contains  $n$  integers  $A_i$  — elements of array.

### Output

Print one value — the expected value of `count`. Answer is considered to be correct if its absolute or relative error is less than  $10^{-7}$ .

### Constraints

$$1 \leq n \leq 10^6,$$
$$1 \leq A_i \leq 10^6.$$

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
4 4 7 4 14	1.91666666666667

## E. Longest Vector

Limits: 2 sec., 256 MiB

Zenyk has  $n$  2-dimensional vectors but Marichka thinks that these vectors are not long enough. Zenyk wants to find such a subset of his vectors so that their sum is the longest possible.

### Input

First line contains a single integer  $n$ . Next  $n$  lines contain 2 integers each  $x_i$  and  $y_i$  — coordinates of the  $i$ -th vector.

### Output

Print one integer — squared length of the longest possible vector Zenyk can create.

### Constraints

$$1 \leq n \leq 2 \cdot 10^5, \\ -10^9 \leq x_i, y_i \leq 10^9.$$

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
4 1 0 0 1 1 1 -1 -1	8
7 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000 1000000000	98000000000000000000

## F. Consecutive Triangles

*Limits: 1 sec., 256 MiB*

Marichka and Zenyk have  $n$  sticks. The length of the  $i$ -th stick is  $i$  (1-indexing).

Marichka wants to place all the sticks in a row so that it isn't possible to create a non-degenerate triangle using any triplet of consecutive sticks. Help her with that task.

### Input

A single integer  $n$ .

### Output

Print  $n$  integers — a permutation of sticks such that it's not possible to create a triangle using any consecutive triplet of sticks. If several answers exist print any of them.

### Constraints

$$3 \leq n \leq 10^5.$$

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
4	4 1 2 3

## G. Can You Do This?

*Limits: 1 sec., 256 MiB*

Given two integers  $a$  and  $b$  ( $a < b$ ) find the smallest positive integer  $c$  such that  $a \text{ OR } c > b \text{ OR } c$ .

### Input

The only line contains two integers  $a$  and  $b$ .

### Output

Print a single integer  $c$  — the answer. If no such integer exists, print  $-1$ .

### Constraints

$0 < a < b < 10^{18}$ .

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
47 74	64

### Notes

OR stands for bitwise OR operation.

## H. Moving Balls

Limits: 1 sec., 256 MiB

Zenyk has  $n$  balls placed on a line, the  $i$ -th ball is initially located in the  $p_i$ -th cell. No two balls can ever occupy a single cell. A robot  $x \rightarrow y$  can go from cell  $x$  to cell  $y$  and push all the balls on its way. If one ball stands on the way of another ball, then it's also pushed. E. g. if you apply robot  $1 \rightarrow 4$  to  $1011000001$  (1-based index) you'll get  $0000111001$ . (Here 1 indicates a cell occupied by a ball, while 0 – an empty one.) Note that some robots may go from right to left.

The goal is to have all the balls placed in a row next to each other, i. e. without empty spaces between them. If you have a sequence of robots  $x_1 \rightarrow y_1, \dots, x_k \rightarrow y_k$ , you can use each robot as many times as you like and in any order to achieve the goal.

You have a sequence of pairs  $(x_1, y_1), \dots, (x_m, y_m)$ . You have to assign a direction to each of them, and you'll get either robot  $x_i \rightarrow y_i$  or  $y_i \rightarrow x_i$  for each pair. Find the number of ways to do it such that the goal is achievable.

### Input

The first line contains two integers  $n$  and  $m$ . The next line contains  $n$  distinct integers  $p_i$  – the initial locations of all the balls. The following  $m$  lines contain pairs  $(x_i, y_i)$ .

### Output

The number of ways to assign directions modulo  $10^9 + 7$ .

### Constraints

$$\begin{aligned} 1 &\leq n, m \leq 2000, \\ 1 &\leq p_i, x_i, y_i \leq 10^6, \\ x_i &\leq y_j. \end{aligned}$$

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
3 3 1 4 6 3 5 1 4 6 7	5



## I. Shoot for the Stars

Limits: 1 sec., 256 MiB

Given a connected graph with  $n$  vertices and  $n - 1$  edges you have to delete at most  $\frac{n}{2}$  (rounded down) edges such that each connected component of the resulting graph is a star.

A star is such a graph that contains at most one vertex that has more than one edge connected to it.

### Input

The first line contains a single integer  $n$ .

The next  $n - 1$  lines contain a pair of integer  $x_i, y_i$  each which means that vertices  $x_i$  and  $y_i$  are connected with an edge.

### Output

On the first line of the output print one integer  $k$  — the number of edges to be removed from the graph.

On the second line print  $n$  integers — indices of the edges (1-based) to be removed from the graph.

If there are multiple possible answers, print any one of them. If there is no answers at all print -1.

### Constraints

$$1 \leq n \leq 10^5,$$

$$1 \leq x_i, y_i \leq n,$$

$$0 \leq k \leq \frac{n}{2} \text{ (rounded down).}$$

### Samples

Input ( <i>stdin</i> )	Output ( <i>stdout</i> )
10	2
1 3	4 7
3 2	
4 3	
3 5	
5 6	
7 9	
6 9	
8 9	
9 10	

### Notes

Note that you do not have to minimize the number of edges deleted. Any solution with at most  $\frac{n}{2}$  edges deleted will be accepted.